

# Clase 28 4 octubre 2021

Título de la nota

04/10/2021

ideal

$\Delta H (J)$	-6721.244
$\Delta U (J)$	-5391.004
$\Delta S (J/K)$	-18.720
$q (J)$	-6721.244
$w (J)$	-1329.384
$w (J)$	-1330.240

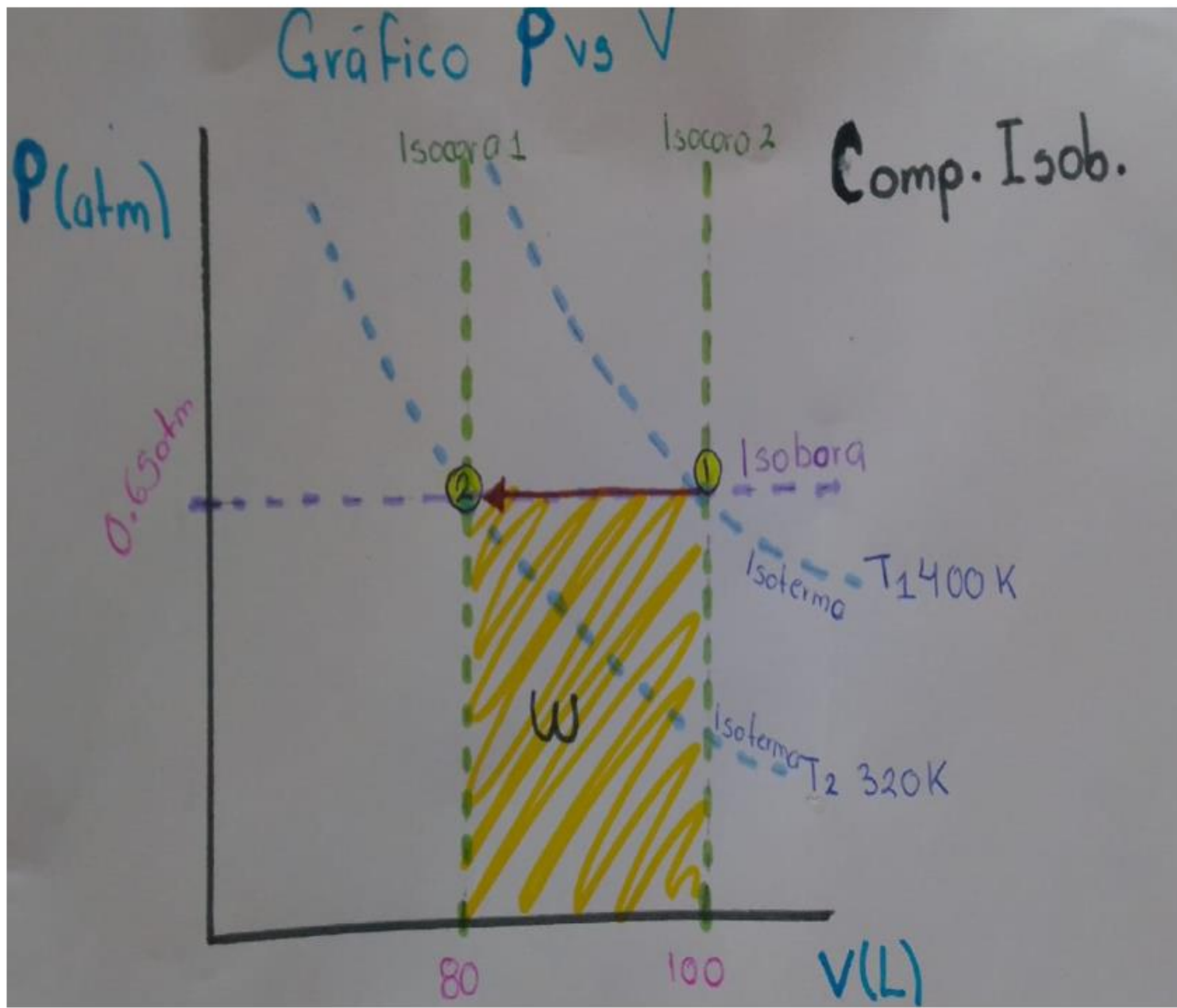
perfecto  
Tablas

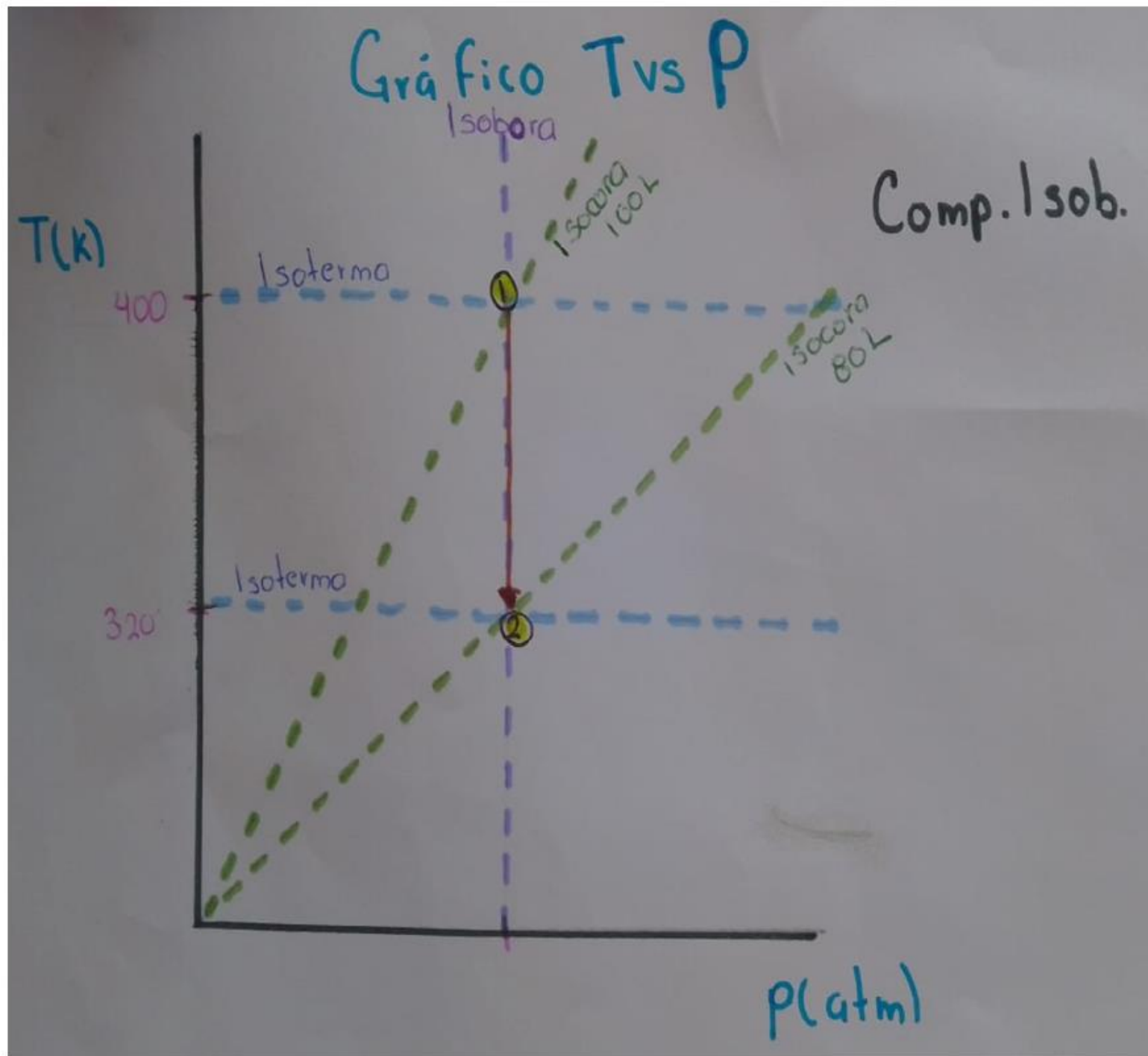
$\Delta H (J)$	-6281.600
$\Delta U (J)$	-3627.200
$\Delta S (J/K)$	-17.521
$q (J)$	-6281.600
$w (J)$	-1329.384
$w (J)$	-2654.400

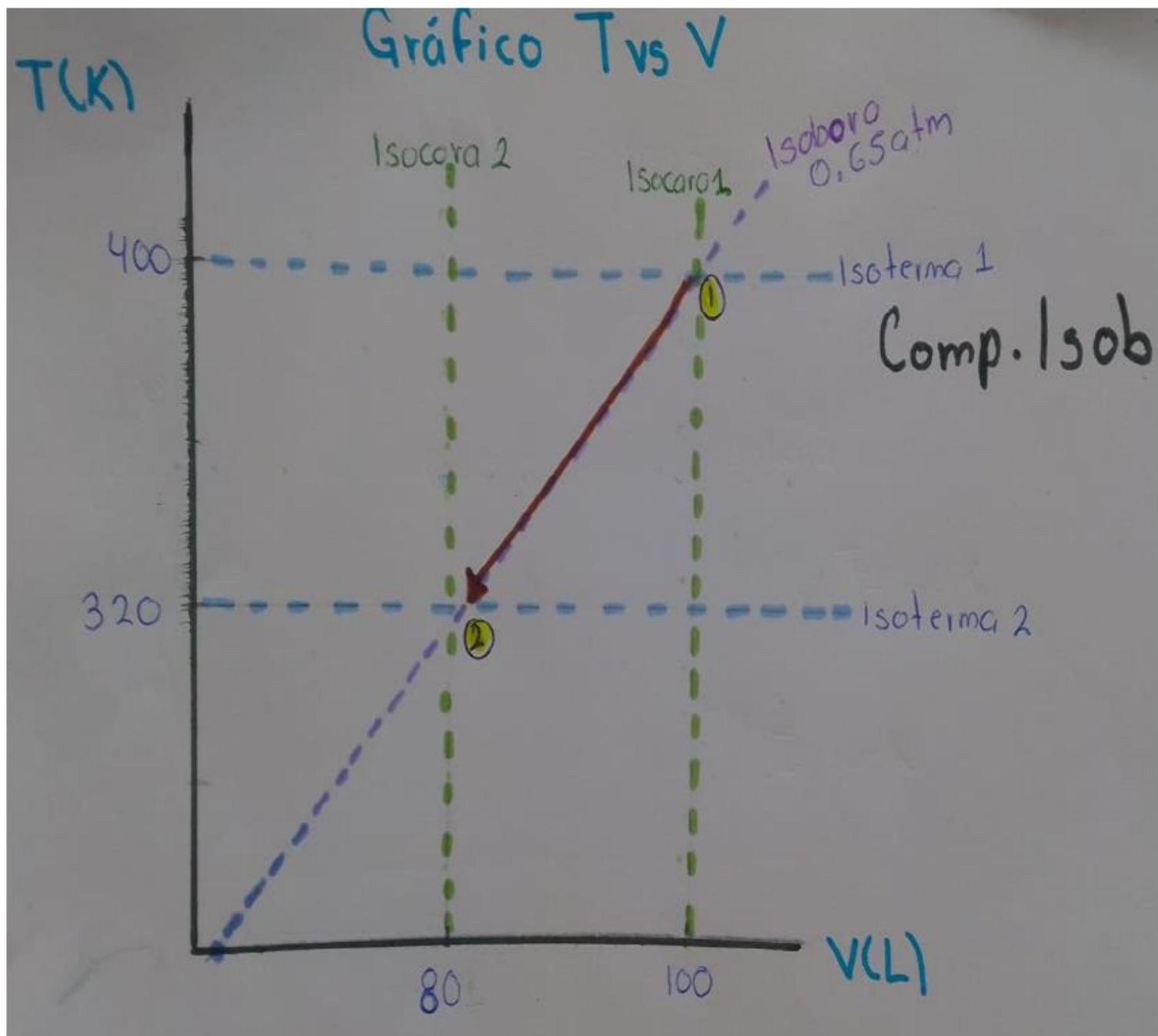
~~Material~~

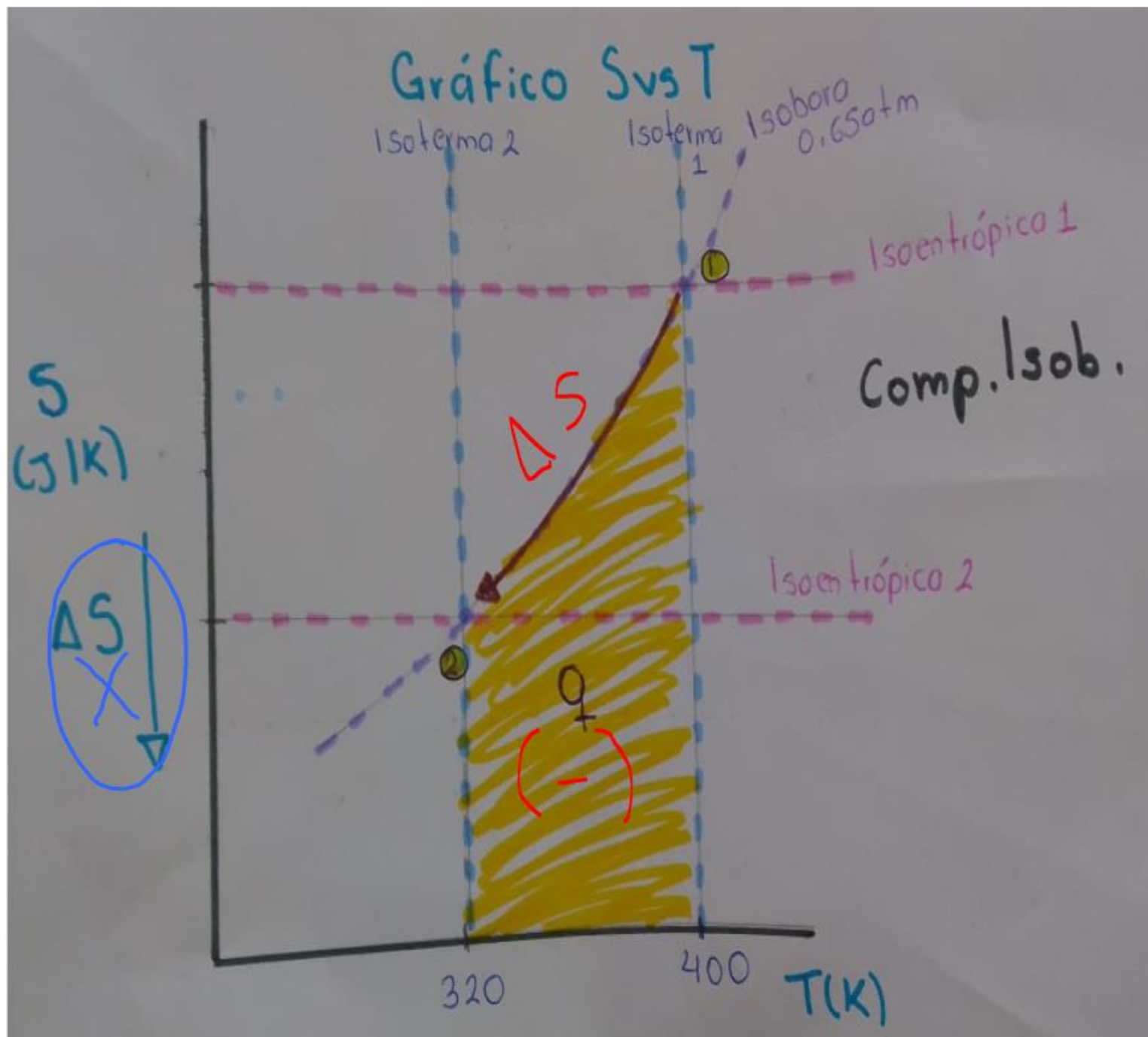
perfecto  
referencia

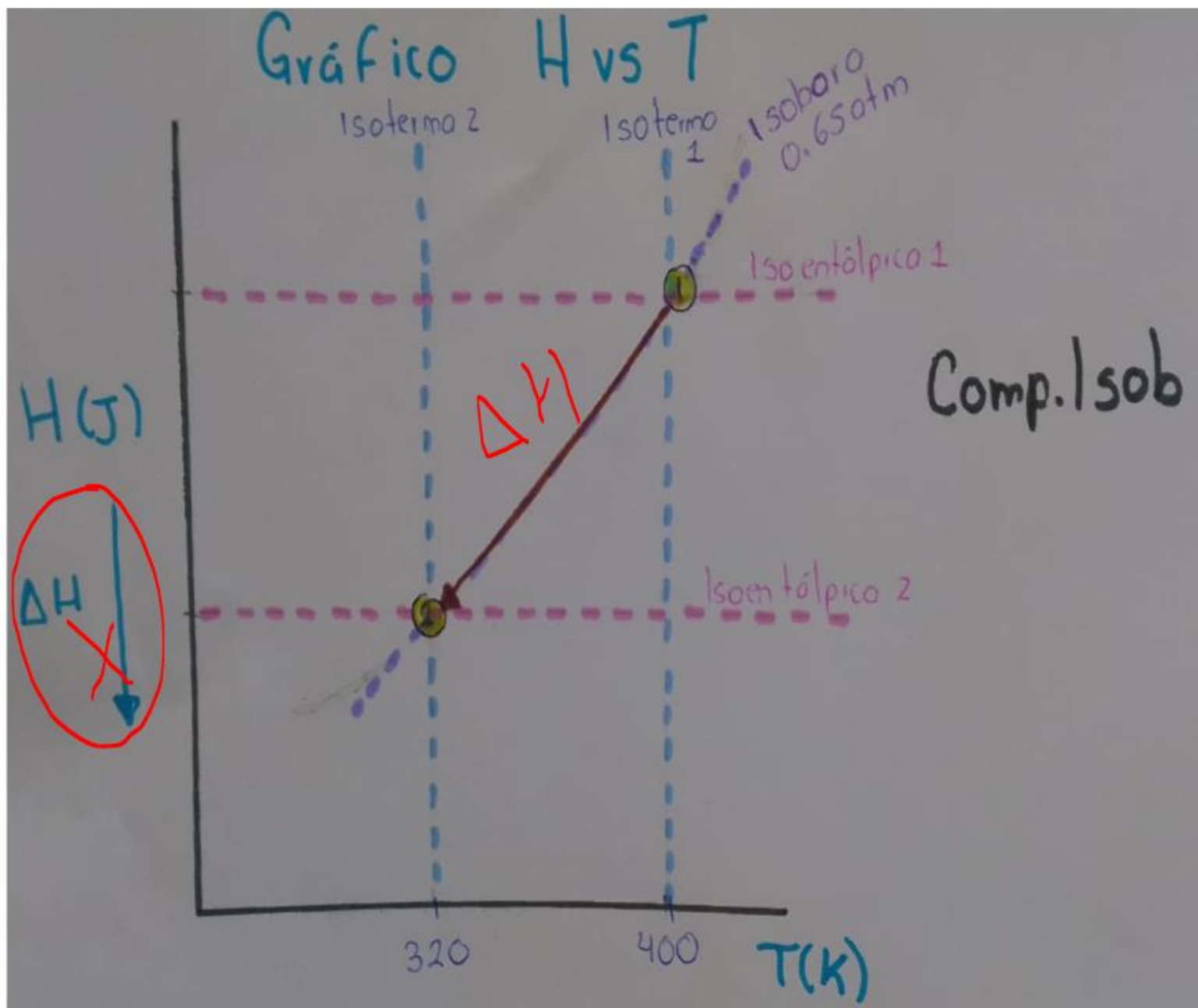
$\Delta H (J)$	-5986.080
$\Delta U (J)$	-4655.840
$\Delta S (J/K)$	-16.697
$q (J)$	-5986.080
$w (J)$	-1329.384
$w (J)$	-1330.240

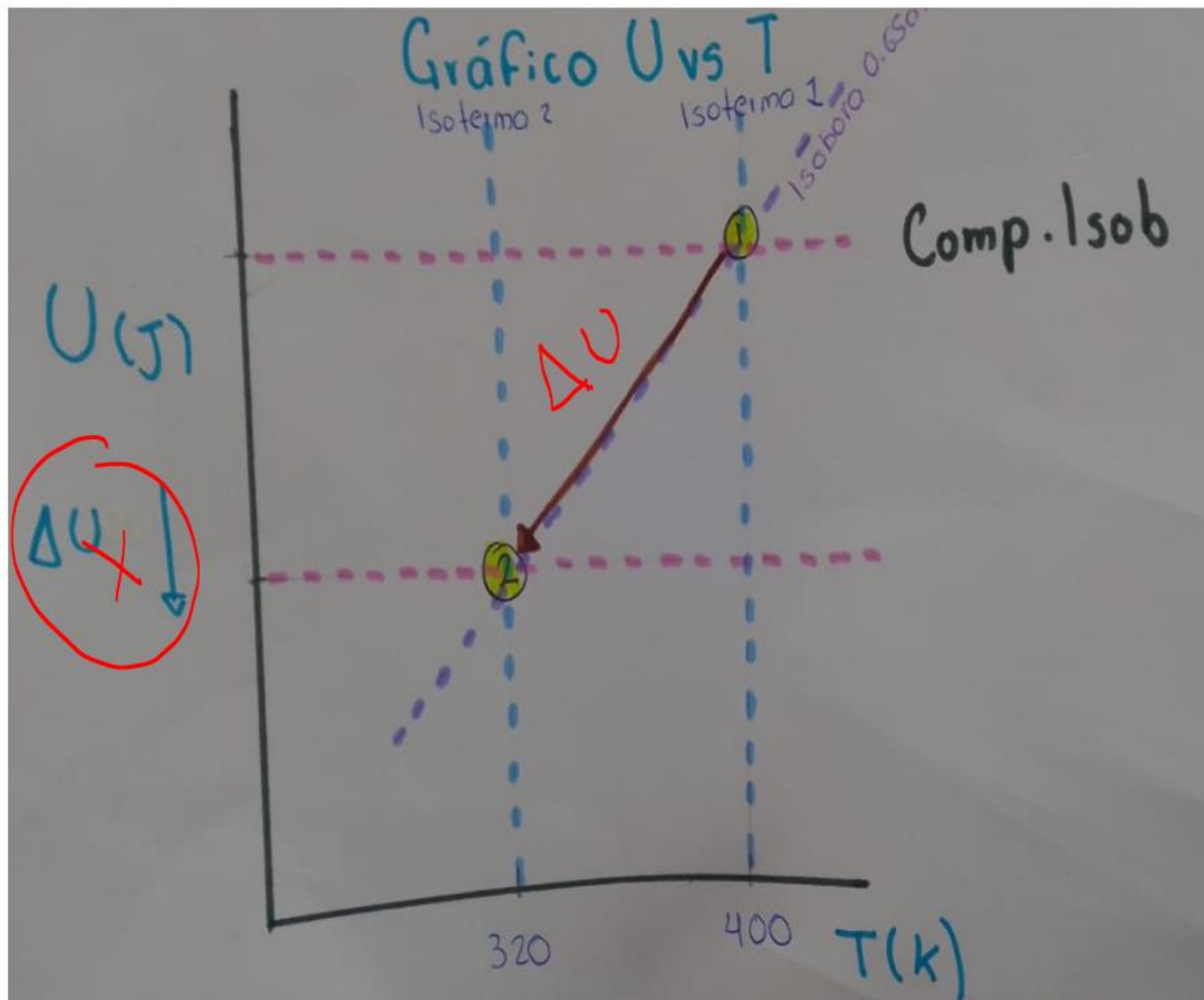












Proceso Isocórico  
sist. cerrado, rígido

$$V = \text{cte}$$

$$n_1 \rightarrow n_2 = \text{cte}$$

$$V_1 \rightarrow V_2 = \text{cte}$$

$$T_1 \rightarrow T_2 \begin{cases} T_2 > T_1 & \text{calentamiento} \\ T_2 < T_1 & \text{enfriamiento} \end{cases}$$

$$p_1 \rightarrow p_2 \begin{cases} p_2 > p_1 & \text{calentamiento} \\ p_2 < p_1 & \text{enfriamiento} \end{cases}$$



$$V_1 = V_2$$

$$V_1 = \frac{n_1 R T_1}{P_1}$$

$$V_2 = \frac{n_2 R T_2}{P_2}$$

$$\frac{\cancel{n_1} R T_1}{P_1} = \frac{\cancel{n_2} R T_2}{P_2}$$

$$T_2 = \frac{T_1 P_2}{P_1}$$

$$P_2 = \frac{T_2 P_1}{T_1}$$

# Calentamiento Isocórico

$$\Delta U = + \quad \Delta H = +$$

$$\Delta H > \Delta U$$

$\Delta H$  depende de  $\overline{C_p}$

$\Delta U$  depende de  $\overline{C_v}$

$$\overline{C_p} > \overline{C_v}$$

$$\Delta S = +$$

$$q = \Delta U$$

$$q = + \text{ endotérmico}$$

$$w = 0$$

$$\Delta U = q - w^0$$

$$\Delta U = q$$

# Enfriamiento isocórico

$$\Delta U = - \quad \Delta H = -$$

$$|\Delta H| > |\Delta U|$$

$$\Delta S = -$$

	$\bar{C}_p$	$\bar{C}_v$
Diatómico	$7/2R$	$5/2R$
Triatómico	$9/2R$	$7/2R$

Isobárico  $q = \Delta H = n \bar{C}_p \Delta T$

Isocórico  $q = \Delta U = n \bar{C}_v \Delta T$

Modelo perfecto  
 $\bar{c}_p$  y  $\bar{c}_v = \text{ctes}$

$$\Delta H = n \bar{c}_p \Delta T$$

$$\Delta U = n \bar{c}_v \Delta T$$

$$\int_1^2 ds = \frac{dq}{T} = \int_{T_1}^{T_2} \frac{n \bar{c}_v dT}{T}$$

$$\Delta S = n \bar{C}_v \int_{T_1}^{T_2} \frac{dT}{T}$$

$$\Delta S = n \bar{C}_v \ln \frac{T_2}{T_1}$$

$$\text{si } T_2 > T_1$$

$$\Delta S = + \text{ calentamiento}$$

$$\text{si } T_2 < T_1$$

$$\Delta S = - \text{ enfriamiento}$$

$$q = \Delta U$$

$$w = 0$$

$$\Delta U = q - w$$



Modelo ideal.

$$dH = n \bar{C}_p dT$$

$$\bar{C}_p = f(T)$$

$$\bar{C}_p = a + bT + cT^2 + dT^3$$

$$\int_1^2 dH = n \int_{T_1}^{T_2} [a + bT + cT^2 + dT^3] dT$$

$$\Delta H = h \left[ a \int_{T_1}^{T_2} dT + b \int_{T_1}^{T_2} T dT + c \int_{T_1}^{T_2} T^2 dT + d \int_{T_1}^{T_2} T^3 dT \right]$$

$$\Delta H = h \left[ a (T_2 - T_1) + \frac{b}{2} (T_2^2 - T_1^2) + \frac{c}{3} (T_2^3 - T_1^3) + \frac{d}{4} (T_2^4 - T_1^4) \right]$$

$$\Delta U = h \left[ (a-R)(T_2 - T_1) + \frac{b}{2}(T_2^2 - T_1^2) + \frac{c}{3}(T_2^3 - T_1^3) + \frac{d}{4}(T_2^4 - T_1^4) \right]$$

$$\Delta S = n \left[ (a-R) \ln \frac{T_2}{T_1} + b(T_2 - T_1) + \frac{c}{2} (T_2^2 - T_1^2) + \frac{d}{3} (T_2^3 - T_1^3) \right]$$

$a$  y  $R$  = mismas unidades

$$a = \frac{\text{cal}}{\text{mol K}}$$

$$R = \frac{\text{cal}}{\text{mol K}}$$

